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DOI

[10.1680/jgeot.18.P.188](https://doi.org/10.1680/jgeot.18.P.188)

Publication date

2021

Document Version

Accepted author manuscript

Published in

Geotechnique

Citation (APA)

Sitarenios, P., Casini, F., Askarinejad, A., & Springman, S. (2021). Hydro-mechanical analysis of a surficial landslide triggered by artificial rainfall: The Ruedlingen field experiment. *Geotechnique*, 71(2), 96-109. <https://doi.org/10.1680/jgeot.18.P.188>

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Hydro-mechanical analysis of a surficial landslide triggered by artificial rainfall: the Ruedlingen field experiment

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Abstract

This paper interprets the hydromechanical behaviour of a steep forested instrumented slope during an artificial rainfall event, which triggered a shallow slope failure fifteen hours after rainfall initiation. The soil's mechanical response has been simulated by coupled hydro-mechanical finite element analyses, using a critical state constitutive model that has been extended to unsaturated conditions. Failure occurs within a colluvium shallow soil cover, characterised as a silty sand of low plasticity. The hydraulic and mechanical parameters are calibrated, based on an extended set of experimental results, ranging from water retention curve measurements to triaxial stress path tests under both saturated and unsaturated conditions. Rainfall is simulated as a water flux at the soil surface and suitable boundary conditions account for the hydromechanical interaction between the soil cover and the underlying bedrock. The results are compared with field data of the mechanistic and the hydraulic responses up to failure and are found to provide a very satisfactory prediction. The study identifies water exfiltration from bedrock fissures as the main triggering agent, resulting in increased pore pressures along the soil - bedrock interface, reduced available shear strength and cause extensive plastic straining, leading to the formation and propagation of a failure surface.

Keywords

rainfall induced landslides, numerical analyses, unsaturated soils, critical state plasticity

List of notation

a	tensile strength
b	water retention model parameter (slope of the water retention curve)
c	cohesion
e	void ratio
k_{rel}	relative permeability
k_{sat}	saturated permeability
M	slope of the critical state line
N_{iso}	specific volume value ($1+e$) of the isotropic virgin compression line at $p'=1\text{kPa}$
n	porosity
n_c	CASM model (yield surface shape parameter)
n_0	reference porosity for the water retention model
P	water retention model parameter (controls the air-entry value)
P_0	water retention model parameter (for void ratio dependence)
$p_0(s)$	apparent preconsolidation pressure
p_0^*	saturated preconsolidation pressure – hardening variable
p	mean total stress
p'	Bishop's mean skeleton stress
p^c	reference pressure
p^t	isotropic tensile strength
q	deviatoric stress
r	parameter controlling the evolution of virgin compressibility with suction
r_c	CASM model (yield surface shape parameter)
S_r	degree of saturation
$S_{r,res}, S_{r,max}$	residual and maximum degree of saturation
s	suction ($s=U_a-U_w$)
t	time
U_x, U_y, U_h, U_v	x-axis, y-axis, horizontal and vertical displacement
u_a	air pressure
u_w	water pressure
w	gravimetric water content
z	depth from the slope surface
α	water retention model parameter (air-entry value dependence on void ratio)
β	parameter controlling the evolution of virgin compressibility with suction
δ_{ij}	Kronecker delta
ε_q	deviatoric strain
η	stress obliquity
θ	volumetric water content

κ	elastic compressibility
$\lambda, \lambda(s)$	saturated (for $s=0$) and unsaturated virgin compressibility
ν	Poisson's ratio
σ_{ij}	total stress tensor
σ'_{ij}	Bishop's skeleton stress tensor
φ'	angle of internal friction

1 1. Introduction

2 Landslides are one of the most commonly occurring natural phenomena with
3 consequences ranging from minor, to huge and devastating. Factors associated with
4 topography, geological - geotechnical conditions, environmental – climatic factors and
5 human activities can increase slope failure susceptibility. Landslides occur frequently in
6 relatively steep topography in mountainous or hilly terrains (Rickli *et al.* 2008), while
7 one of the most common triggering agents is rainfall (e.g., Caine (1980); Springman *et al.*
8 *al.* (2003); Guzzetti *et al.* (2004); Cascini *et al.* (2008); Salciarini *et al.* (2012), Tang *et al.*
9 *al.* (2018)). Accordingly, rainfall induced landslides, have attracted significant attention
10 from researchers worldwide and numerous experimental (e.g., Wang & Sassa (2003),
11 Take *et al.* (2004), Wu *et al.* (2015)) and numerical studies (e.g., Laloui *et al.* (2015),
12 Lollino *et al.* (2016)) focus on studying the mechanisms associated with the failure of
13 natural or artificial slopes during rainfall.

14

15 Rainfall induced landslides are the outcome of the progressive saturation of a surficial
16 soil profile, which decreases the available shear strength and leads to the formation of
17 a failure zone. The hydromechanical behaviour of the unsaturated soil layer plays a
18 fundamental role in the approach to failure. Field experiments offer a comprehensive
19 way to study such behaviour as a full scale “prototype”, with relevant indicative studies
20 including Harp *et al.* (1990), Ochiai *et al.* (2004) and Askarinejad *et al.* (2018). Most of
21 these contributions emphasise the complexity of the mechanisms underlying rainfall
22 induced slope instabilities, highlighting that apart from the mechanical and hydraulic
23 characteristics of the unsaturated soil formations, additional factors pertain. These may
24 include the existence of preferential water flow paths (e.g., fissures), vegetation (e.g.,
25 root reinforcement), the initial hydraulic field and its seasonal variations and the
26 bedrock shape (e.g., Damiano *et al.* (2017), Lehmann *et al.* (2013), Askarinejad *et al.*
27 (2014), Brönnimann *et al.* (2013), Ng *et al.* (2001)).

28 Numerical analyses can further supplement such studies by providing the means to
29 assess and evaluate the field measurements and carry out parametric analyses (e.g.,
30 Rahardjo *et al.* (2007)). Coupled hydromechanical analyses with the Finite Element
31 Method (FEM) are the most commonly utilised tool for the numerical investigation of
32 rainfall induced slope instabilities (Leroueil 2001; Elia *et al.* 2017) because they
33 facilitate a detailed simulation of the slope's complete loading history (e.g,
34 consolidation, rainfall duration and intensity). Complex physical processes related to
35 slope's saturation, including water flow under unsaturated conditions and the soil's
36 water retention behaviour, can also be modelled. Moreover, they can be combined with
37 advanced constitutive models extended to unsaturated conditions to reproduce the soil
38 behaviour more accurately in the transition between saturated and unsaturated
39 conditions, such as the swelling or collapse upon wetting and its dependence on the
40 applied stress level, and the evolution of compressibility and of shear strength with
41 wetting.

42

43 A set of 2D coupled hydromechanical analyses have been carried out with the finite
44 element method computer software Code Bright (Olivella *et al.* 1996) to reproduce the
45 behaviour monitored during the Ruedlingen field experiment (Askarinejad *et al.* 2012;
46 Springman *et al.* 2012), where a steep silty slope was subjected to artificial rainfall
47 leading to a shallow slope failure after 15 hours. Askarinejad *et al.* (2012b) report a set
48 of different numerical studies to reproduce the experimentally observed behaviour,
49 mainly including limit equilibrium calculations based on simplified geometries of an
50 infinite slope and a 3D sliding block, supported by preliminary 2D uncoupled numerical
51 simulations.

52

53 This paper advances previous work through coupled hydromechanical analyses of the
54 soil cover, in order to evaluate the mechanical and hydraulic response of the slope, and

55 to explore whether such numerical analyses are capable of reproducing the pre-failure
56 behaviour. The discussion focuses on the detailed modelling of the hydromechanical
57 behaviour of the Ruedlingen soil. A critical state plasticity model for unsaturated soils is
58 utilised and calibrated based on available experimental results. The investigation
59 captures the field observations very well, both in terms of the mechanical and of the
60 hydraulic behaviour and identifies water exfiltration from the bedrock as the main
61 triggering agent. Parameters and assumptions about the slope's behaviour are varied
62 within a parametric study.

63

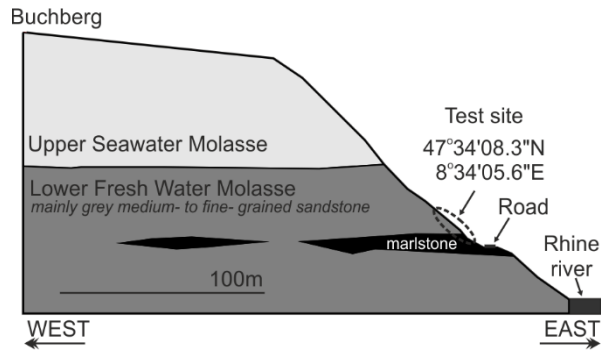
64 **2 Field Experiment**

65 Two full scale field tests were performed to study the response of a steep forested
66 slope subjected to artificial intense rainfall (Askarinejad *et al.* 2012; Askarinejad 2013)
67 within the context of the multi-disciplinary research programme on "Triggering of Rapid
68 Mass Movements in steep terrain" (TRAMM). The full-scale field tests were carried out
69 in northern Switzerland in a forested area near Ruedlingen village. The selected
70 experimental site was located on the east-facing bank of the river Rhine, with an
71 average slope angle of approximately 38°. An orthogonal area, with a length of 35m
72 and a width of 7.5m, was instrumented with a wide range of devices.

73

74 Figure 1 summarises the geomorphology around the test area with a simplified
75 geological model (Brönnimann *et al.* 2009). The bedrock in the area consists of
76 Molasse formations and includes sandstones and marlstones, deposited with a
77 horizontal layering (Springman *et al.* 2012). Dynamic probing tests around the site
78 revealed uneven bedrock depth, measuring from as deep as 4.5m to as shallow as
79 0.5m. A network of interconnected fissures running parallel to the river were identified
80 in the bedrock, with openings of several centimetres and filled with soil (Brönnimann *et*
81 *al.* 2009). These were very effective at draining the overlying colluvium soil cover

82 (Ruedlingen Soil), which has been characterised as a medium to low plasticity
83 (average PI~10%) silty sand (ML), becoming finer with depth (Casini *et al.* 2010).
84



85
86 Figure 1. A simplified geological profile of the test area (after Brönnimann *et al.* (2009))

87
88 The slope was instrumented extensively to monitor the hydromechanical response
89 during a series of artificial rainfall experiments. The instrumentation plan included earth
90 pressure cells, piezometers, tensiometers, time domain reflectometers (TDRs),
91 acoustic and temperature sensors (Askarinejad 2013). They were installed in three
92 clusters along the slope, as shown in figure 2, and each cluster contained various
93 sensors installed at depth intervals of 0.30m. Slope movements and deformations were
94 monitored both at the surface using photogrammetry, and also within the soil mass by
95 means of novel flexible inclinometers equipped with strain gauges (Askarinejad &
96 Springman 2018).

97
98 A first artificial rainfall experiment was executed in October 2008, while the landslide
99 triggering experiment was conducted in March 2009. Building on the results of the first
100 experiment, it was decided to concentrate the sprinklers in the upper part of the
101 experimental area, and to sever the lateral roots along the longitudinal borders of the
102 experimental field down to a maximum depth of 0.4m. The slope was subjected to

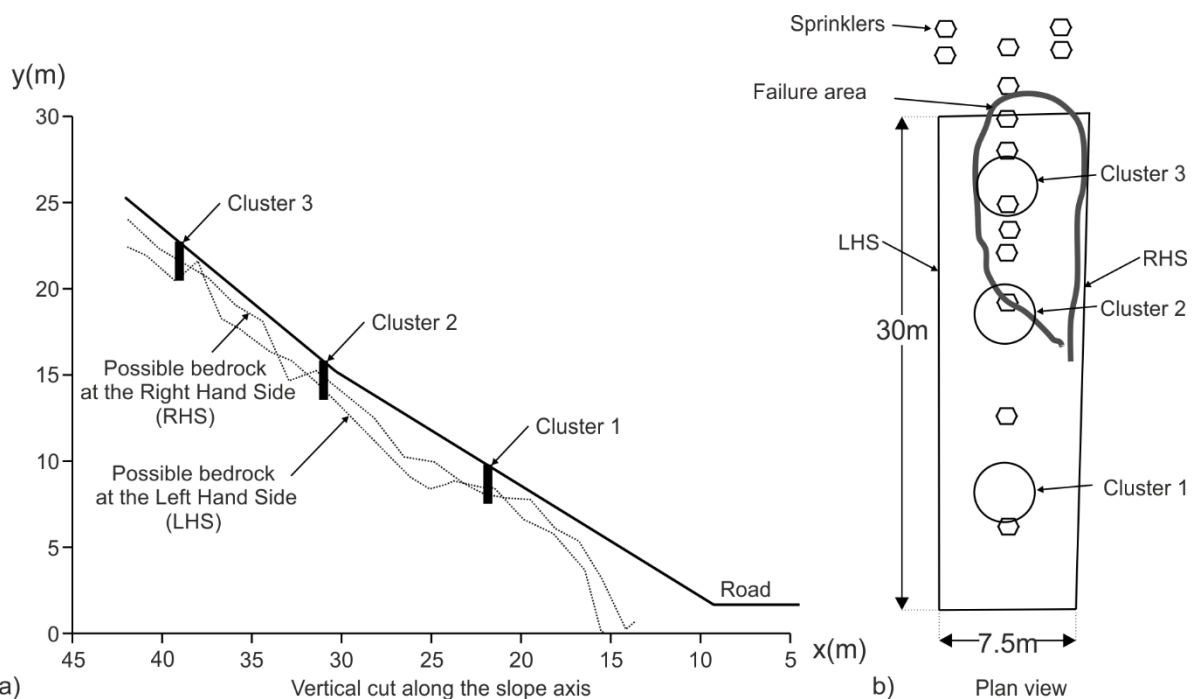
103 artificial rainfall in March 2009, with an average intensity of 20mm/h on the upper part
104 of the slope and 7mm/h in the lower parts.

105

106 A significant acceleration in soil movements was observed, approximately 13h after
107 rainfall initiation, which resulted in a generalised slope failure, approximately 2h later.

108 An area measuring 17m (longitudinal) by 7.5m (transversal), with a maximum depth of
109 failure surface of 1.2m, led to a total soil volume of approximately 130m³ accelerating
110 downslope at an average speed of 0.5 mm/s. The failure was initiated in the upper part
111 of the slope, extending from approximately 5m above cluster 3 down towards, and
112 partly including, cluster 2 (see figure 2). After failure, significant water exfiltration was
113 observed from bedrock fissures within the failed area in the neighbourhood of cluster 3.

114



115

116 Figure 2. a) The bedrock topography and b) the instrumentation plan (after Askarinejad
117 *et al.* (2010))

118

119

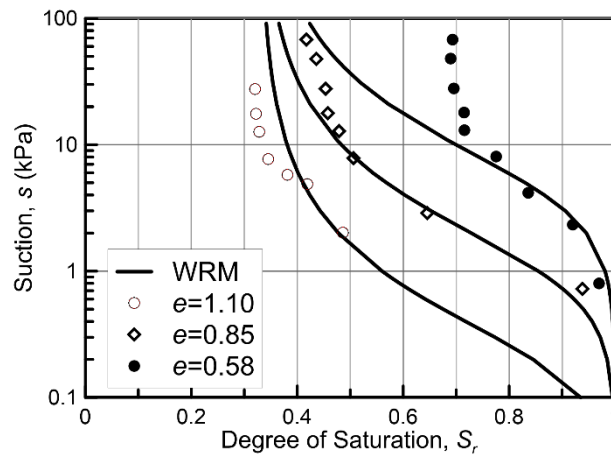
120

121 **3 Constitutive Modelling and Calibration**

122 This section presents and calibrates the main constitutive equations used in the
 123 numerical analyses. Starting with the water retention behaviour, Casini (2012) reports a
 124 set of degree of saturation vs suction data obtained from remoulded and statically
 125 compacted Ruedlingen soil samples. Figure 3 presents the measured data for three
 126 different wetting paths, corresponding to different initial void ratio values. The results
 127 show the dependence of the water retention behaviour on void ratio, while the sandy
 128 nature of the Ruedlingen soil is clearly reflected in the abrupt increase in degree of
 129 saturation for suction levels lower than 10kPa.

130

131



132

133 Figure 3. Measured water retention curves (wetting branch) and predictions of the
 134 selected WRM according to the selected parameters (table 1) for Ruedlingen Soil

135

136 The Van Genuchten (1980) void ratio dependent Water Retention Model (WRM), as
 137 implemented in the Code Bright (CB) finite element code, is selected to simulate the
 138 water retention behaviour. Water content is described in terms of degree of saturation
 139 (S_r) through the following equation:

140

$$S_r = S_{r,res} + (S_{r,max} - S_{r,res}) \left(1 + \left(\frac{s}{P} \right)^{1-b} \right)^{-b} \quad (1)$$

141 where s is the suction level, b is a model parameter controlling the shape of the
 142 reproduced Water Retention Curve (WRC), $S_{r,max}$ and $S_{r,res}$ are the maximum and
 143 residual degree of saturation, respectively, and P is a parameter controlling the air-
 144 entry value, which is assumed to depend on porosity (n) according to:

$$145 \quad P = P_0 \cdot \exp(a(n - n_0)) \quad (2)$$

146 In equation (2), P_0 and n_0 are reference values, and parameter a controls the rate at
 147 which parameter P evolves with porosity and in conjunction with void ratio, $e=n/(1 - n)$.

148

149 Figure 3 presents the predictions of equations (1) and (2) using the parameters
 150 reported in table 1. Note that, following the average in-situ void ratio of Ruedlingen Soil,
 151 which is $e=0.9$, calibration has focused on the experimental data corresponding to two
 152 soil samples with either $e=0.85$ or $e=1.10$. In a similar manner, given that the initial
 153 average suction values measured in the field are in the range of 10kPa, and further
 154 considering that the behaviour up to full saturation is of concern, the calibration focuses
 155 on capturing the behaviour in the $0.0 \leq s \leq 10$ kPa regime.

156

157 Table 1. Water retention model parameters for Ruedlingen Soil
 158

Parameter	Value	Parameter	Value
P_0 (kPa)	0.65	a	21.0
b	0.4	n_0	0.47

159

160 The mechanical behaviour is described using the “Clay And Sand Model” (CASM)
 161 constitutive model (Yu 1998), which describes the behaviour of clayey and sandy
 162 materials in a unified way. Gonzalez (2011) enhanced CASM to account for the
 163 mechanical behaviour of unsaturated soils by incorporating a Loading-Collapse (LC)
 164 surface before implementing it in the CB FEM code.

165

166 The behaviour is described in terms of Bishop's average skeleton stress (Bishop &
167 Blight 1963):

$$168 \quad \sigma'_{ij} = \sigma_{ij} - u_a \cdot \delta_{ij} + (u_a - u_w) S_r \delta_{ij} \quad (3)$$

169 where $\delta_{ij}=1.0$ for $i=j$ and $\delta_{ij}=0.0$ for $i \neq j$, σ_{ij} is the total stress tensor and u_a , u_w are the
170 pressure of the gaseous (air) and the liquid (water) phase, respectively. Suction
171 ($s=u_a-u_w$) is used as the second constitutive variable (Gens 2010). Bishop's average
172 skeleton stress can efficiently represent the non-linear evolution of shear strength with
173 suction (Fredlund *et al.* 1996; Jommi 2000; Alonso *et al.* 2010). A realistic simulation of
174 shear strength evolution plays a fundamental role in the analyses of rainfall induced
175 slope instabilities, as the gradual reduction in shear strength with water infiltration
176 dominates the formation of the failure mechanism.

177

178 The CASM yield function, postulated in the triaxial stress space (p' , q) takes the
179 following form:

$$180 \quad f(p', q, p_0(s)) = \left(\frac{q}{M \cdot p'} \right)^{n_c} + \frac{1}{\ln r_c} \cdot \ln \frac{p'}{p_0(s)} \quad (4)$$

181 where p' is Bishop's mean stress calculated as $p' = p - u_a + S_r \cdot s$ with suction $s = u_a - u_w$, p the
182 mean total stress, q the deviatoric stress and S_r degree of saturation. Variable $p_0(s)$
183 describes the apparent preconsolidation pressure and controls the size of the yield
184 surface with suction, while parameters n_c and r_c constrain the shape of the yield surface
185 on the deviatoric plane. Inside the yield surface stress states are elastic and straining is
186 described using the Modified Cam Clay (MCC) (Roscoe & Burland 1968) porous-elastic
187 law.

188 The following equation is adopted to quantify the evolution of the apparent
189 preconsolidation pressure with suction:

190
$$p_0(s) = p^c \left(\frac{p_0^*}{p^c} \right)^{\frac{\lambda - \kappa}{\lambda(s) - \kappa}} \quad (5)$$

191 where p^c is a reference pressure, p_0^* the preconsolidation pressure under saturated
 192 conditions that comprises the hardening variable of the model and $\lambda(s)$ the unsaturated
 193 compressibility described as:

194
$$\lambda(s) = \lambda \left[(1-r) e^{-\beta s} + r \right] \quad (6)$$

195 In equation (6), β and r are parameters controlling the evolution of compressibility with
 196 suction. Note that although equations (5) and (6) are identical to the Barcelona Basic
 197 Model (BBM) by Alonso *et al.* (1990), in the “unsaturated” CASM they are used to
 198 describe the behaviour in the Bishop’s stress domain, which necessitates a different
 199 calibration with respect to the BBM. Finally, the CASM model adopts the isotropic
 200 volumetric hardening rule of the MCC for the evolution of p_0^* and it incorporates a non-
 201 associated flow rule based on Rowe’s dilatancy theory (Rowe 1962).

202
 203 The CASM constitutive model is calibrated for Ruedlingen soil based on an ensemble
 204 of experimental results reported in Casini *et al.* (2010), Casini (2012), Casini *et al.*
 205 (2013) and Askarinejad (2013), including drained and undrained triaxial compression
 206 tests as well as oedometer tests on natural, statically compacted and reconstituted
 207 samples of Ruedlingen soil. Various constant water content tests under unsaturated
 208 conditions are also reported. Finally, a set of Constant Axial Load (CAL) triaxial tests is
 209 also available.

210
 211 Constant Axial Load (CAL) triaxial tests are performed on anisotropically consolidated
 212 soil samples for which the axial load is kept constant following anisotropic
 213 compression. The mean effective stress is reduced either by gradually reducing the cell
 214 pressure under unsaturated conditions (Casini *et al.* 2013) or by steadily increasing the
 215 pore pressure under a constant cell pressure for saturated samples (Casini *et al.*

216 2010). Such tests are considered reminiscent of the failure mechanism in slopes
 217 subjected to rainfall, where water infiltration leads to an increase in pore pressures
 218 under a relatively constant total stress (Anderson & Sitar 1994, Springman *et al.* 2003).

219

220 Table 2 summarises the parameters quantified during calibration. The same set of
 221 parameters was found capable of accommodating the behaviour of both natural and
 222 reconstituted Ruedlingen soil specimens, with exceptions being the slope of the CSL
 223 (M) and the saturated virgin compressibility (λ), where the natural soil samples suggest
 224 a slightly higher friction angle and a reduced compressibility. The increased shear
 225 strength and reduced compressibility can be indicative of the presence of a structuring
 226 agent in the natural soil.

227

228

229

Table 2. Ruedlingen soil: mechanical parameters

Parameter	Value	Parameter	Value
κ	0.01	n_c	1.4
λ	0.09 ^{*1} -0.13 ^{*2}	r_c	2.5
ν	1/3	p^c (kPa)	10
M	1.2 ^{*2} – 1.3 ^{*1}	β (MPa ⁻¹)	10000
N_{iso}	2.21 ^{*1} – 2.41 ^{*2}	r	0.75

230

231

^{*1} natural soil

^{*2} statically compacted

232

233 Indicative experimental data for the natural Ruedlingen Soil are compared in figure 4
 234 with numerical results using the CASM model and the parameters taken from table 2
 235 for the natural soil. For the simulations, the initial preconsolidation pressure has been

236 adjusted to the initial void ratio of the specimens, based on the calibrated Isotropic
237 Compression Line (ICL) as described by the following equation:

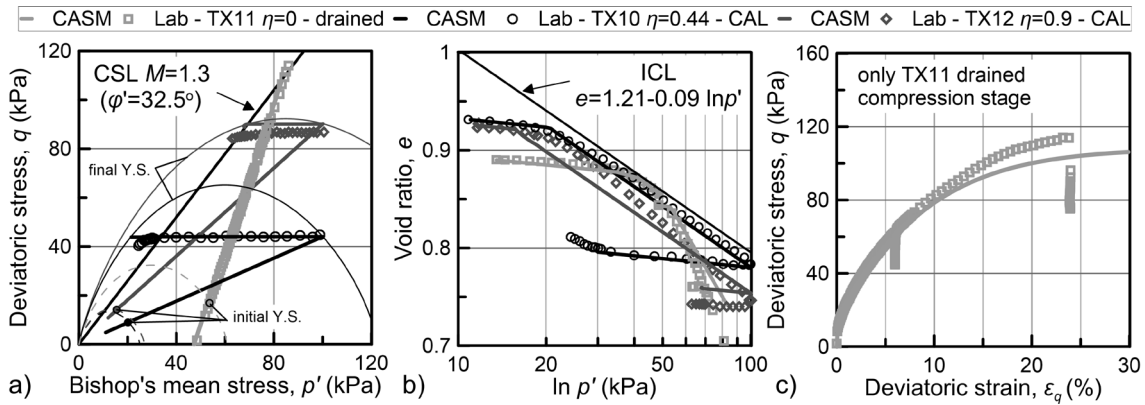
$$238 \quad e = (N_{iso} - 1) - \lambda \ln p' \quad (7)$$

239 where N_{iso} defines the position of the ICL on the v - $\ln p'$ plane and corresponds to the
240 specific volume ($v=1+e$) under $p'=1\text{kPa}$. The calibrated N_{iso} values are also included in
241 table 2.

242

243 The results represent one drained triaxial compression test on an isotropically, normally
244 consolidated soil specimen and two CAL tests following anisotropic consolidation under
245 two different stress obliquities. Accurate simulation of the Ruedlingen soil behaviour
246 during the CAL tests has been prioritised over the isotropically, normally consolidated
247 specimen. The experimental results show in more detail in figure 4(a) that the stress
248 path on the p' - q plane during the CAL phase, slightly overshoots the CSL. "Failure" is
249 manifested by a sudden drop of deviatoric stress, since the specimen cannot sustain
250 the imposed axial load anymore. Numerically, the aforementioned "failure" corresponds
251 to the point where the stress path meets the yield surface (plotted in figure 4(a) for the
252 end of compression) on the dry side of critical state. The increased shape versatility of
253 the CASM yield surface, and especially an independent control of the intersection of
254 the yield surface with the CSL, has proved to be essential in representing "failure"
255 accurately during CAL tests (Sitarenios & Casini 2018). Figures 4(b) & (c) demonstrate
256 that the calibrated CASM model also achieves very good predictions of the
257 compressibility behaviour and of the stress-strain behaviour during triaxial testing.

258



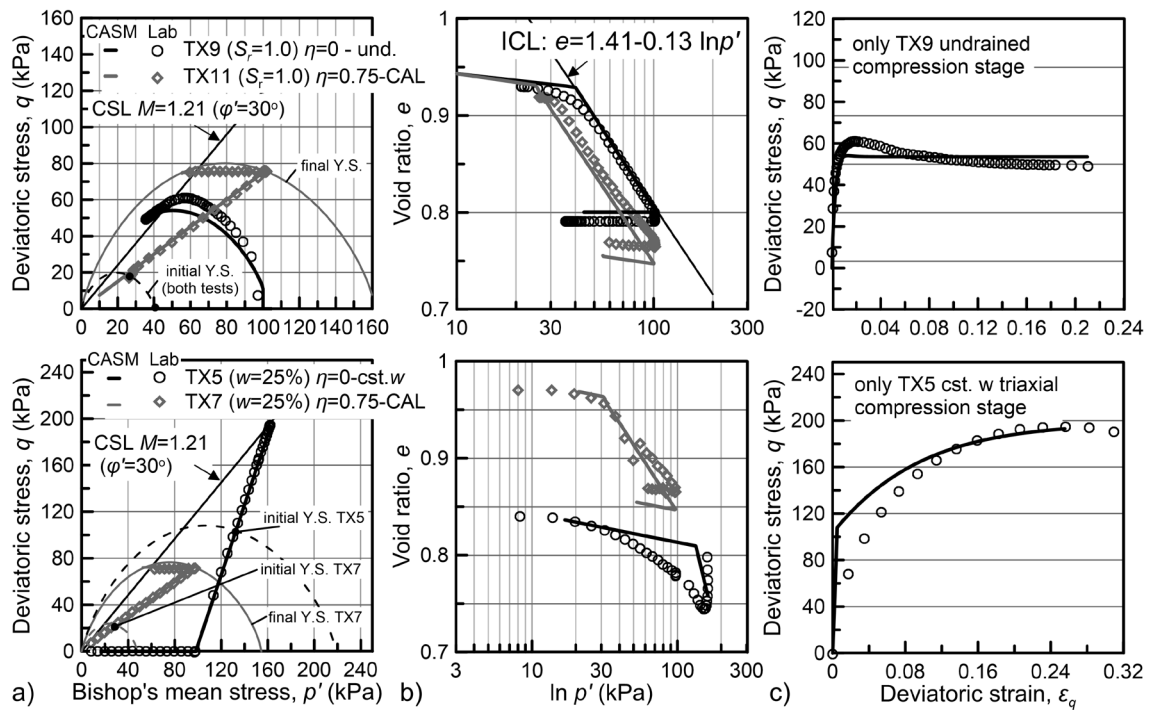
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260 Figure 4. Comparison between data from laboratory tests of isotropic compression -
 261 drained compression (TX11) and anisotropic consolidation - constant axial load tests
 262 (TX10 & TX12) on saturated natural Ruedlingen specimens; In a) the stress path; b)
 263 the volumetric behaviour; c) the stress - strain behaviour, data from Casini *et al.* (2010),
 264 and numerical modelling using the CASM model and parameters derived herein.

265

266 Figure 5 presents similar comparisons for the statically compacted Ruedlingen soil
 267 specimens, discussing the behaviour under both saturated and unsaturated conditions.
 268 The simulation results cannot capture the strain-softening behaviour exhibited during
 269 the undrained triaxial test (TX9) behaviour that is typical of soils with initial anisotropy
 270 (Gens 1982); in this particular case (TX9), initial anisotropy can be attributed to the
 271 preparation method, which involves 1D static compaction. Although the CASM model
 272 includes anisotropic features (e.g., distorted yield surface), it lacks kinematic hardening
 273 rules and cannot reproduce intense strain-softening. Nevertheless, the behaviour prior
 274 to critical state, which corresponds to failure conditions, is described very satisfactorily.
 275 The model captures the shear strength exhibited by the constant water triaxial
 276 compression test under unsaturated conditions very well, even though it over-predicts
 277 the initial elastic branch. The latter is mainly attributed to the single yield surface, which
 278 predicts a large elastic domain, while the end of isotropic compression for the TX5
 279 specimen corresponds to an overconsolidated material state that is still located inside

280 the yield surface. Finally, like the natural soil, the behaviour is captured very well during
 281 constant axial load tests.



282 a) Bishop's mean stress, p' (kPa) b) $\ln p'$ (kPa) c) Deviatoric strain, ϵ_q

283 Figure 5. Comparison between data from laboratory tests of isotropic compression -
 284 triaxial compression (TX9 & TX5) and anisotropic consolidation - constant axial load
 285 tests (TX11 & TX7) on saturated (top) and unsaturated (bottom) statically compacted
 286 Ruedlingen samples; In a) the stress path; b) the volumetric behaviour; c) the stress -
 287 strain behaviour, data from Casini *et al.* (2013) and numerical modelling using the
 288 CASM model and parameters derived herein

289

290 4. Simulation of the Landslide Triggering

291 4.1 Numerical Model Description

292 Figure 6 presents the 2D, plane strain model adopted for this study. The bedrock is not
 293 included in the simulation and suitable mechanical and hydraulic boundary conditions
 294 are applied to account for its interaction with the soil cover. The soil-bedrock geometry
 295 follows the in-situ determined bedrock depth along the longitudinal vertical section in
 296 the middle of the experimental area.

297 The computational mesh is created with triangular, pore pressure, 6-node, second
 298 order finite elements. A dense discretisation is selected with an average element length
 299 of 0.25m, resulting in a FEM mesh with 4957 elements and 10482 nodes. The Van-
 300 Genuchten WRM and the CASM constitutive model are used to describe the
 301 hydromechanical behaviour of the soil. The parameters are reported in tables 1 and 2
 302 respectively, while the mechanical parameters of the natural soil are used in the
 303 analyses. Following experimental evidence, the initial void ratio value was set to 0.9.
 304 The saturated preconsolidation pressure was selected as 60kPa. It should be
 305 highlighted that the value selected deviates from the calibrated compressibility
 306 framework, which suggests that for $e=0.9$, P_0^* is equal to 30kPa and 50kPa for the
 307 natural and the reconstituted material, respectively. However, the selected value was
 308 used to prevent accumulation of significant plastic straining during the geostatic step,
 309 which could hinder the simulated response during subsequent calculation steps. The
 310 air pressure is assumed constant and zero.
 311

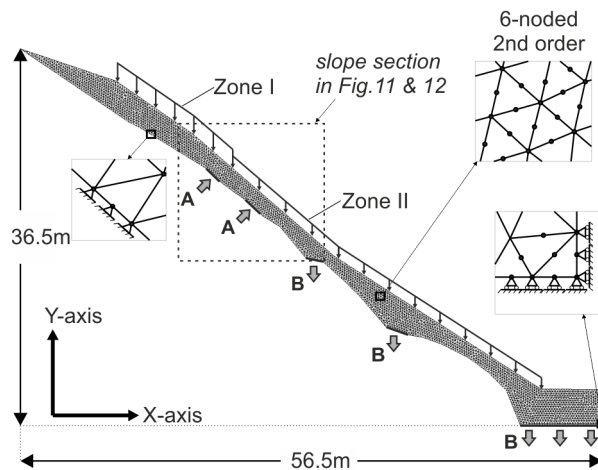


Figure 6. The 2D numerical model in Code Bright

312
 313
 314
 315 The saturated permeability was set to $k_{sat}=1.0 \cdot 10^{-5}m/s$, which is one order of
 316 magnitude higher with respect to the value measured in the laboratory ($10^{-6}m/s$) by
 317 Askarinejad et al. (2012a). It also lies within the range of values determined from in situ

318 permeability measurements, which suggest values ranging from 10^{-4} m/s to 10^{-5} m/s
319 (Askarinejad 2013; Brönnimann et al. 2013). Finally, a typical power law ($k_{rel}=k_{sat}S_r^3$) is
320 selected for the relative unsaturated hydraulic permeability (k_{rel}).

321

322 The analysis includes an initial step with duration of 1h, where the soil profile is loaded
323 by gradually increasing gravity. An unsaturated soil profile is simulated from the
324 beginning and the analysis for the initial water equilibrium assumes that the water table
325 coincides with the soil-bedrock interface. The construction phase is followed by a
326 consolidation phase lasting for 50h, at the end of which the hydraulic boundary
327 conditions at the soil-bedrock interface are reconfigured to an impermeable boundary
328 with the exception of three areas, where water is allowed to flow from the soil into the
329 bedrock (B in figure 6). For the latter, suitable seepage boundaries are adopted to
330 allow outflow whenever the pore pressure above becomes positive. This is achieved by
331 selecting a negative leakage coefficient for the flux boundary condition as described in
332 DIT-UPC (2017). They correspond to locations where bedrock fissures, filled with the
333 soil cover, were identified during the geological mapping of the area.

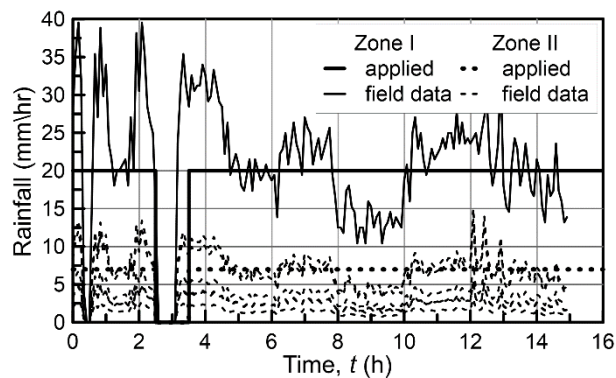
334

335 The topography of the simulated slope is steep, which inevitably results in the
336 development of a limited amount of tension stress in some of the elements, mainly at
337 the very top of the slope, where the soil cover depth is shallow (< 0.5 m). Critical state
338 models cannot handle tension stresses efficiently as such stress states lie outside the
339 yield surface, while moreover the poroelastic bulk modulus returns a negative value.
340 Consequently, a limited amount of tension strength equal to $p_t=4$ kPa was added to
341 ensure numerical stability. In terms of the Mohr – Coulomb failure envelope and given
342 the simulated friction angle of $\varphi'=32.5^\circ$ ($M=1.3$), the applied tension strength
343 corresponds to $c'=4 \cdot \tan 32.5^\circ=2.55$ kPa of cohesion. The applied cohesion is expected to
344 increase the simulated yield locus and strength compared to the calibrated one.

345

346 Following the equilibrium step, the artificial rainfall is simulated as a water inflow at the
347 surface of the slope. Rainfall is applied with different intensities at the upper and the
348 lower parts of the slope (Zone I and Zone II in figure 6), representing the rainfall and
349 spatial distribution of the sprinklers during the field experiment (see figure 2). The start
350 of rainfall application is considered as time zero ($t = 0h$) for the interpretation of the
351 results. Following Askarinejad (2013), the simulated rainfall corresponds to a simplified
352 scenario, which approximates the actual rainfall data, as presented in figure 7. The
353 applied rain intensity is 20mm/h in Zone 1, while it was equal to 7mm/h in Zone 2.
354 Rainfall is applied for 16 hours with a break of 1h between $t=2.5h$ and $3.5h$, due to an
355 interruption in the water supply to the sprinklers, which occurred during the field test.

356



357

358 Figure 7. Field rainfall data (from Askarinejad (2013)) and the applied rainfall intensity
359 with time (16/03/2009 12:00 is assumed as $t = 0$)

360

361 Simulation of water exfiltration follows the assumptions made by Askarinejad (2013).
362 The author combined geological information for the potential location of fissures,
363 immediate post-failure observations of profound water exfiltration from the bedrock in
364 cluster 3 and field measurements of pore water pressures (Askarinejad *et al.* 2012b) to
365 conclude that water exfiltration occurs in the upper part of the slope close to cluster 3,
366 as indicated by the arrows with the letter A in figure 6. Moreover, seepage analyses

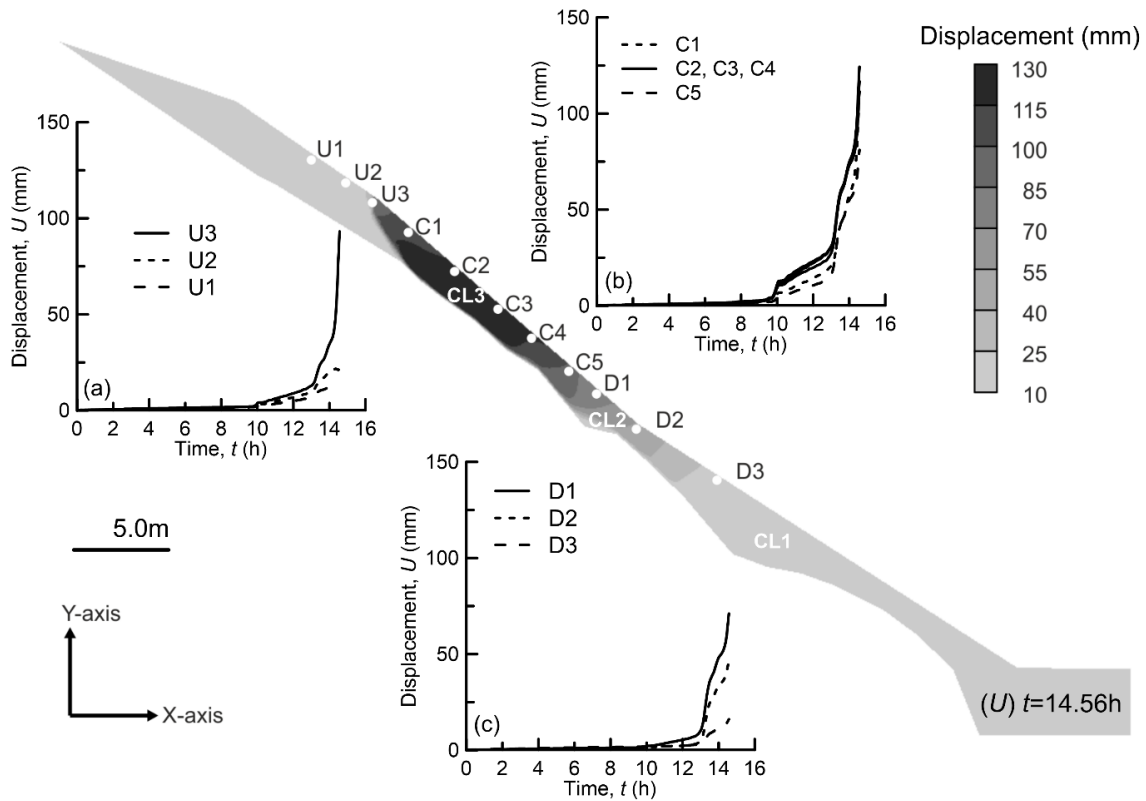
367 suggest that the observed hydraulic field can be well approximated by simulating
368 exfiltration as a water inflow with a constant hydraulic head equal to 9kPa, starting 4.5h
369 after rainfall initiation. The same procedure is adopted in this study and the validity of
370 this assumption will be discussed further, based on the numerical results.

371

372 **4.2 Analysis of Results**

373 Figure 8 presents the distribution of displacements at $t=14.4h$, which corresponds to
374 the time when the analyses stopped. The displacement field indicates a clear
375 concentration of displacements in the upper part of the slope in the neighbourhood of
376 cluster 3, which suggests that the slope has probably failed. The figure also presents
377 the evolution of displacements with time for selected characteristic points along the
378 slope. Roughly three different behaviour regimes may be identified. An increase in soil
379 movements is observed at $t=10h$ in the central part of the failure area (points C1 to C5)
380 and then displacements increase steadily, initially at a rather constant pace, until an
381 abrupt increase is observed at $t=13-14h$. The latter is characteristic of unstable
382 behaviour, which explains why the analyses stopped at $t=14.5h$. It also confirms that
383 the slope had failed physically, as well as in the numerical model.

384



385

386 Figure 8. Distribution of displacements at failure ($t = 14.56h$) and evolution with time for
 387 selected locations along the slope

388

389 The evolution of displacement shows that failure concentrates in this central area and
 390 extends uphill marginally to point U3, while points U1 and U2 are outside the failed soil
 391 mass. Downhill, the failure zone extends to point D1, while points D2 and D3 exhibit an
 392 increase in displacements only after $t=13h$, which indicates that they were subject to
 393 some form of passive pressure from the uphill failing mass during the latter stages of
 394 failure. The predicted failure area compares very well with the field experiment, where
 395 failure was observed from approximately 5m above cluster 3 down to cluster 2 (see
 396 also figure 2).

397

398 Figure 9 focuses on the hydraulic behaviour of the slope. It portrays the distribution of
 399 pore water pressure and degree of saturation at failure, together with plots of the

400 evolution of pore water pressure and of the volumetric water content with time for
401 characteristic points within the three clusters and for equivalent field measurements.
402 Additionally, figure 10 presents and compares with field data the calculated evolution of
403 pore water pressure and of the volumetric water content at two additional depths for
404 cluster 3, one close to the surface (rainfall boundary) and another one deeper, close to
405 the exfiltration boundary, where we can observe a sudden saturation of the soil profile
406 at $t=4.5h$.

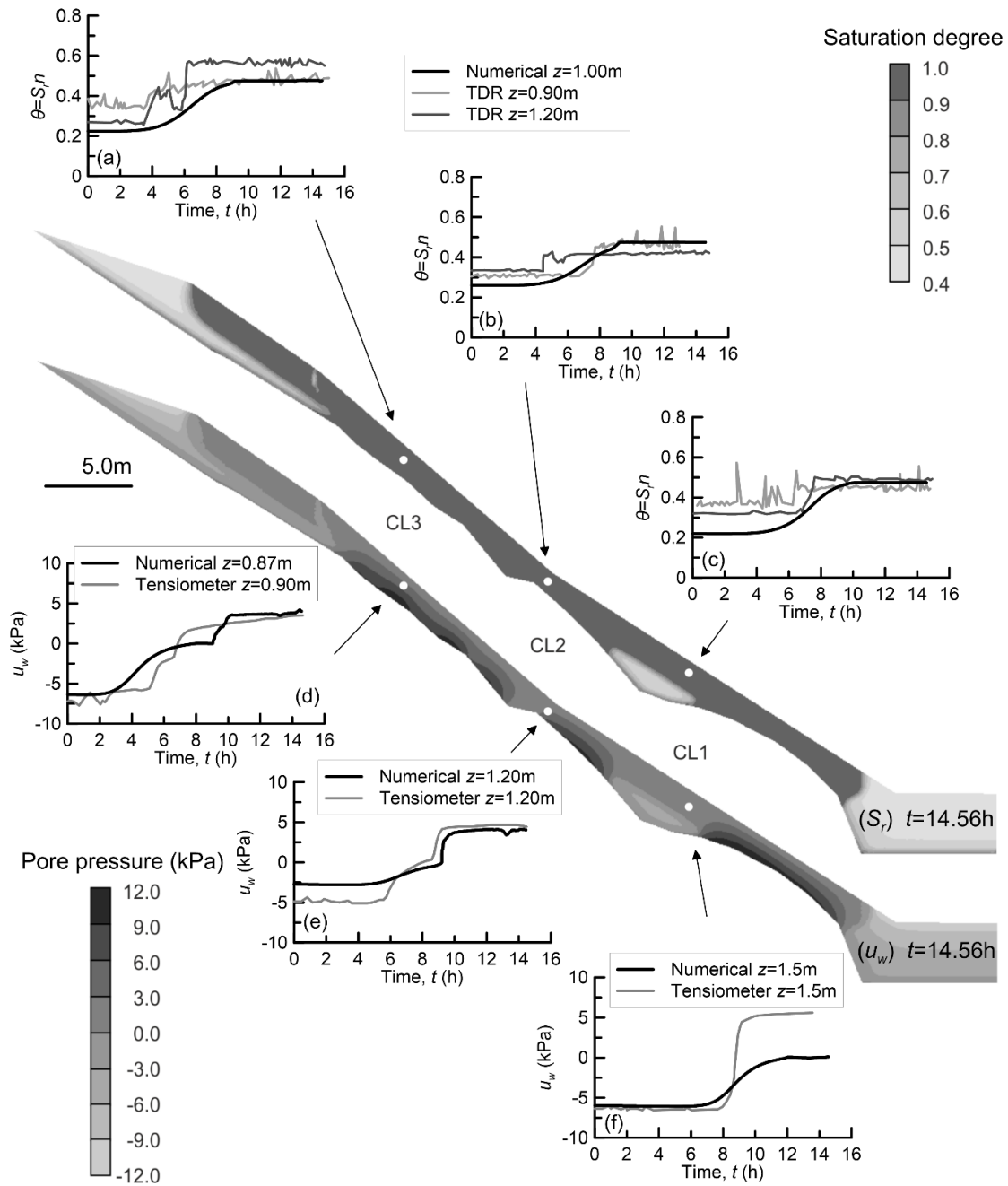
407

408 Figures 9 demonstrates a very good match between the numerical and the field data
409 observed along the slope, while figure 10 additionally confirms that the selected
410 simulation of rainfall and water exfiltration provides a fair representation of the
411 observed variation in the hydraulic field with depth, additionally investigating the effect
412 of rainfall and exfiltration individually. The satisfactory comparison confirms and
413 develops further the approach taken in previous studies (Askarinejad et al. 2012;
414 Askarinejad 2013), while validates also the value of permeability selected and
415 calibrates the resulting water retention properties.

416

417 The plots in figure 9 clearly suggest that failure happens under fully saturated
418 conditions, while significant pore pressures seem to build up at the soil-bedrock
419 interface in the vicinity of cluster 3, as a result of the applied water exfiltration (see also
420 figure 10). Moreover, a very good match between the measured and the predicted
421 volumetric water content values was observed as failure approached, confirming that
422 values of representative porosity and thus void ratio apply to the soil for the duration of
423 the analyses.

424



425

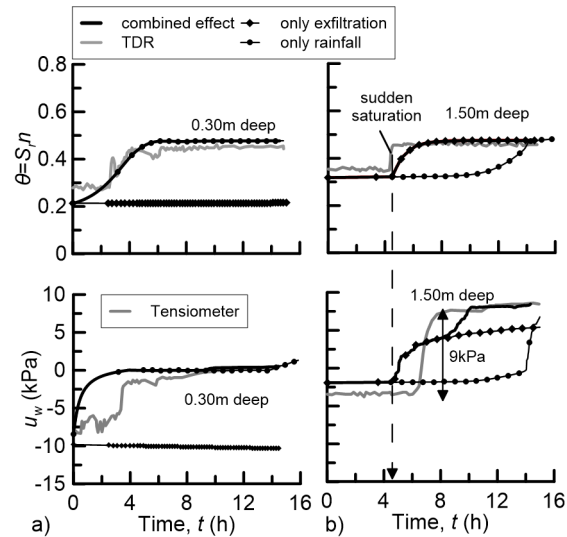
426 Figure 9. Distribution of pore water pressure and saturation degree at failure together
 427 with the evolution at characteristic locations along the slope; field data from
 428 Askarinejad (2013)

429

430

431

432



433

434 **Figure 10. Evolution of volumetric water content (above) and pore water pressure**
435 **(below) at cluster 3; In: a) at a depth of 0.30m and; b) at a depth of 1.5m; for only**
436 **exfiltration, only rainfall and for their combined effect. Field data from Askarinejad**
437 **(2013)**

438

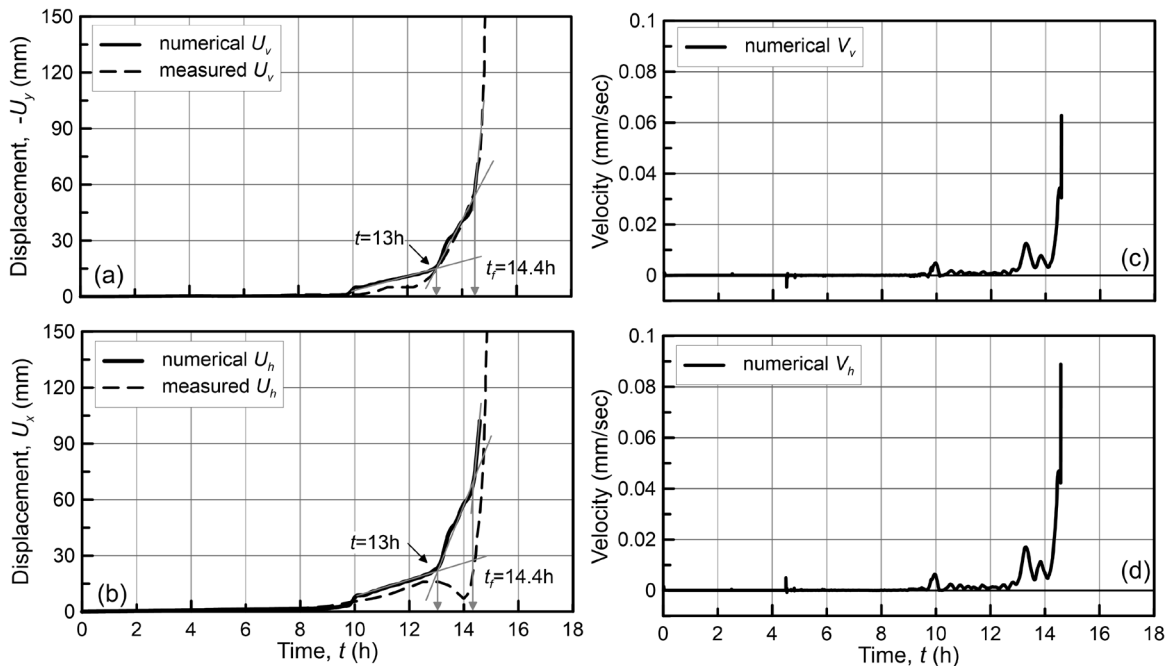
439 Figure 11 concentrates on the displacement field in cluster 3 to examine the slope
440 response leading up to failure. It presents and compares numerical results with
441 displacement measurements from the field. Figure 11(a) compares the vertical
442 displacement of a surface node in cluster 3 with the reported vertical displacement at
443 the same location, the latter, as reported in Askarinejad (2013), based on
444 photogrammetry analyses. Figure 11(b) compares the horizontal displacement of a
445 model node at the depth of 0.5m below the surface, with the reported horizontal
446 displacement of the top of an inclinometer in the same location. A very good match can
447 be seen between the experimental and the numerical results, leading to a very good
448 prediction of the time of failure.

449

450 Figures 11(c) and 11(d) plot the evolution of vertical and horizontal velocity with time,
451 corresponding to the numerical results of figures 11(a) and 11(b), respectively. It can
452 be observed that the slope movements are practically zero for the first 10 hours of

453 rainfall, thereafter both the numerical and the experimental results exhibit the first signs
 454 of accumulation of significant displacements. A first notable peak in the velocity is
 455 observed in figures 11(c) and 11(d) at the same time ($t=10h$) with cyclical and smaller
 456 peaks in the rate of deformation over the next three hours, when the displacements
 457 increase gradually. A second change in the displacement trend is observed, also
 458 accompanied with a peak in velocity. Movements accelerate significantly and further
 459 displacements occur at an increased velocity, suggesting that $t=13h$ forms a threshold
 460 between stable and unstable behaviour. The slope fails, finally, after approximately
 461 another 1.5 hours of additional rainfall ($t=14.56h$).

462



463

464 Figure 11. Evolution of displacements (a, b) and velocity (c, d) at the slope surface at
 465 cluster 3; field data from Askarinejad (2013)

466 Timeframes $t=10h$, $13h$ and $14.4h$ correspond to significant “milestones” where the
 467 behaviour alters. Figure 12 depicts the distribution of pore pressure, degree of
 468 saturation, deviatoric strains and displacements in the area where failure concentrates
 469 for the aforementioned three milestone timeframes. The slope in the failure zone is

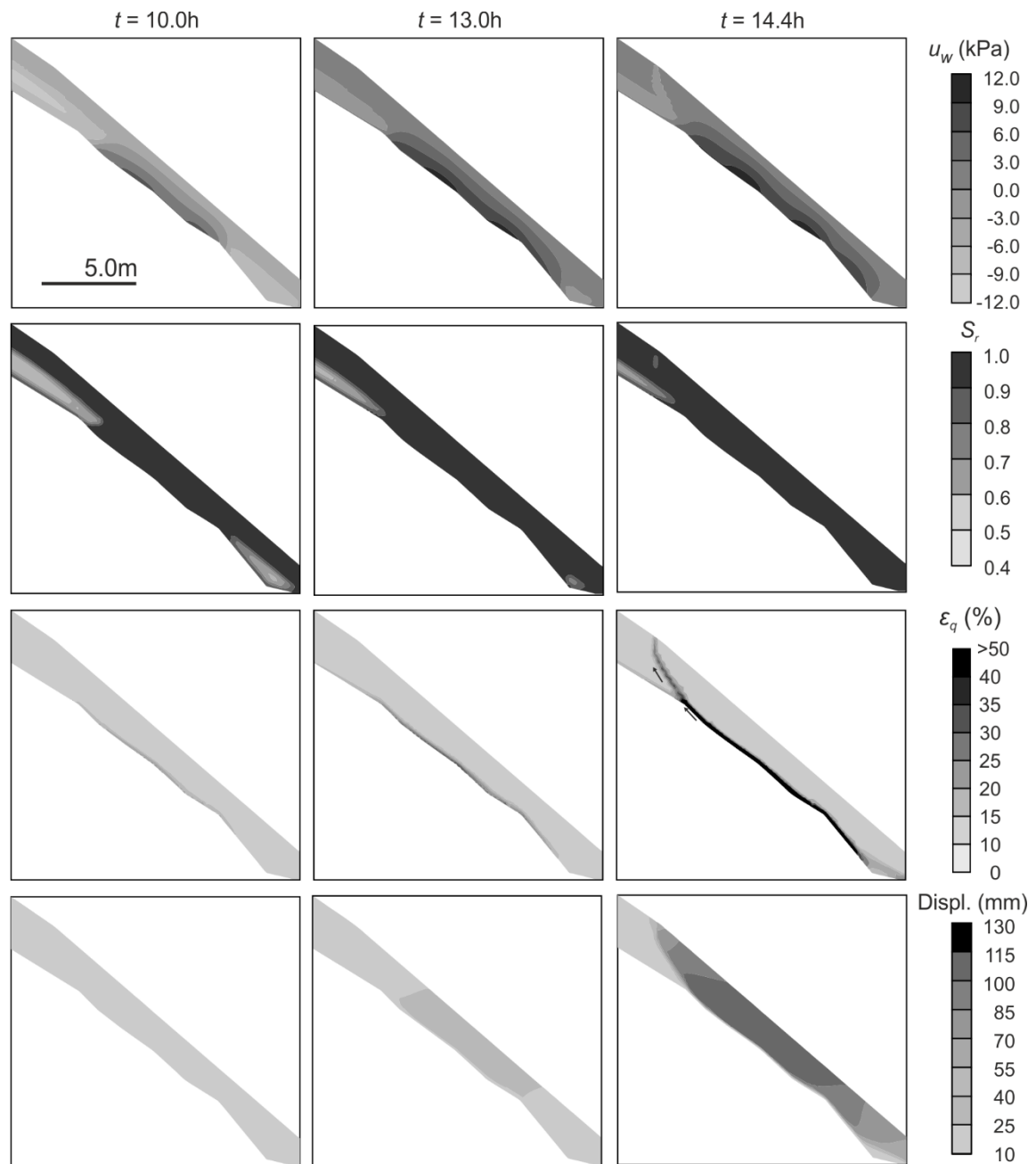
470 already saturated at $t=10\text{h}$ and in fact, graph (a) in figure 9 suggests that it has just
471 reached ($t=9-10\text{h}$) full saturation. Saturation is attributed to the combined effect of
472 rainfall and water exfiltration from the bedrock. Full saturation results in a significant
473 change in the hydraulic response of the slope as further exfiltration leads to the buildup
474 of positive pore pressures, which cause a significant decrease in shear strength, and
475 hence increasing the necessary mobilised shear strength. The latter is clearly observed
476 as an accumulation of increased deviatoric straining (strain localisation), which for the
477 moment concentrates along the exfiltrating boundaries at the soil-bedrock interface.
478 The observed displacement values are still quite low.

479

480 As both exfiltration and rainfall progress, the aforementioned mechanism further
481 increases the plastic strains at the soil-bedrock interface. It seems that this mechanism
482 reaches a threshold at $t=13\text{h}$, where the saturation front has evolved both uphill and
483 downhill, pore pressures have increased further and a region of increased
484 displacements appears at the centre of the area.

485

486 Just before the analysis stops at $t=14.4\text{h}$, the distribution of deviatoric strains shows a
487 fully developed failure surface, which has propagated from the soil-bedrock interface
488 towards the surface in the upper part of the slope. The bedrock geometry also plays a
489 role in the exact location of failure surface migration towards the slope surface, as its
490 shape seems to follow a steeper part of the bedrock, as indicated by the small black
491 arrows in figure 12. Contrary to the numerical results, field observations suggest that
492 the slip surface coincides with the soil-bedrock interface only partially and not along the
493 full length of the failed area. Nevertheless, the 2D analyses simulate an average depth
494 of the bedrock, while in reality, the bedrock depth exhibits a significant variation in the
495 transversal direction, which could explain this discrepancy.



496

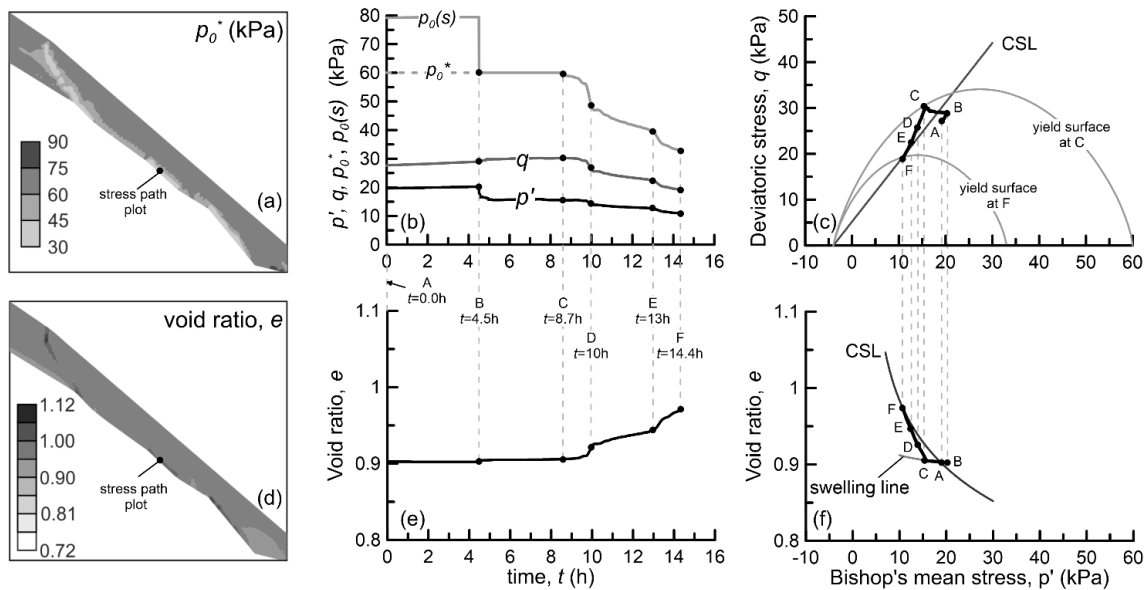
497 Figure 12. Distribution of pore pressures (u_w), degree of saturation (S_r), deviatoric
 498 strains (ϵ_q) and displacements (U) at three characteristic time frames $t = 10h$, $t = 13h$
 499 and $t = 14.4h$ (slope section as in figure 6)

500

501 The distribution of preconsolidation pressure (p_0^*) and void ratio at failure is plotted in
 502 Figure 13. The failure surface is well portrayed in both pictures; the final values along
 503 the failure surface suggest that the preconsolidation pressure reduces as failure is

504 approached (initial $p_o^*=60\text{kPa}$), while at the same time, the void ratio distribution
 505 indicates dilatant behaviour (initial $e=0.9$). The same figure presents the evolution of
 506 the stress state, preconsolidation pressure and void ratio with time to explain the
 507 behaviour observed, and also combines them as stress path plots in the deviatoric
 508 stress ($p'-q$) and compressibility ($e-p'$) planes. They correspond to a characteristic
 509 point in the failure zone along the soil-bedrock interface, which is typical of the
 510 behaviour in the failure zone, at the location where exfiltration occurs.

511



512

513 Figure 13. Distribution (slope section as in figure 6) of preconsolidation pressure and
 514 void ratio at failure together with the evolution of p' , q , $p_o(s)$, p_o^* and e

515

516 Initially, and until exfiltration is activated (A to B), both p' and q slightly increase
 517 following a radial stress path, which is reminiscent of consolidation. This behaviour is
 518 the outcome of the progressive saturation of the top soil layers due to rainfall, which
 519 increases the bulk unit weight of the soil above the stress path. Exfiltration causes
 520 sudden saturation of the soil at the outflow location at $t=4.5\text{h}$, which is reflected as an
 521 abrupt drop in the p' value, together with the corresponding abrupt decrease in the
 522 apparent preconsolidation pressure, which becomes equal to its saturated counterpart.

523 This sudden saturation is not accompanied by volumetric collapse as the stress state
524 remains well inside the yield surface.

525

526 As rainfall continues and exfiltration progresses, the deviatoric stress slightly increases
527 under a simultaneously reducing p' and the stress path resembles the constant
528 deviator stress path test. This observation further confirms the suitability of the CAL
529 advanced stress path tests in simulating the typical mechanical response of soil
530 elements in rainfall induced slope failures. The behaviour is elastic up to point C, so
531 that the soil element reaches the yield envelope at around $t=8.5h$ (point C in Fig. 6c).
532 The reducing p' results in an increase in the void ratio, with the behaviour plotting on a
533 swelling line (Fig. 13d).


534

535 The fact that the yield surface is reached “dry of critical state” ($q > M \cdot p'$) leads to strain
536 softening behaviour, where the size of the yield surface and hence p_0^* decreases and
537 the stress state starts to move towards the failure envelope (CSL). Plastic straining
538 progresses up to failure (point F, $t=14.4h$) and is accompanied by a dilative response.
539 A significant amount of plastic straining takes place between $t=9h$ and $t=10h$,
540 explaining why the first signs of appreciable displacements appear at the slope surface
541 in the same time window. Finally, the stress path has practically reached the failure
542 envelope at $t=13h$ (point E), where the majority of the soil elements along the failure
543 surface have almost exhausted the available shear strength (maximum mobilised shear
544 strength), and the slope is on the verge of incipient failure, as has been already
545 discussed with respect to the displacement field.

546

547 **5 Parametric Study**

548 This section extends the discussion about the Ruedlingen slope behaviour, by
549 examining the effect that different mechanical and hydraulic parameters have on the

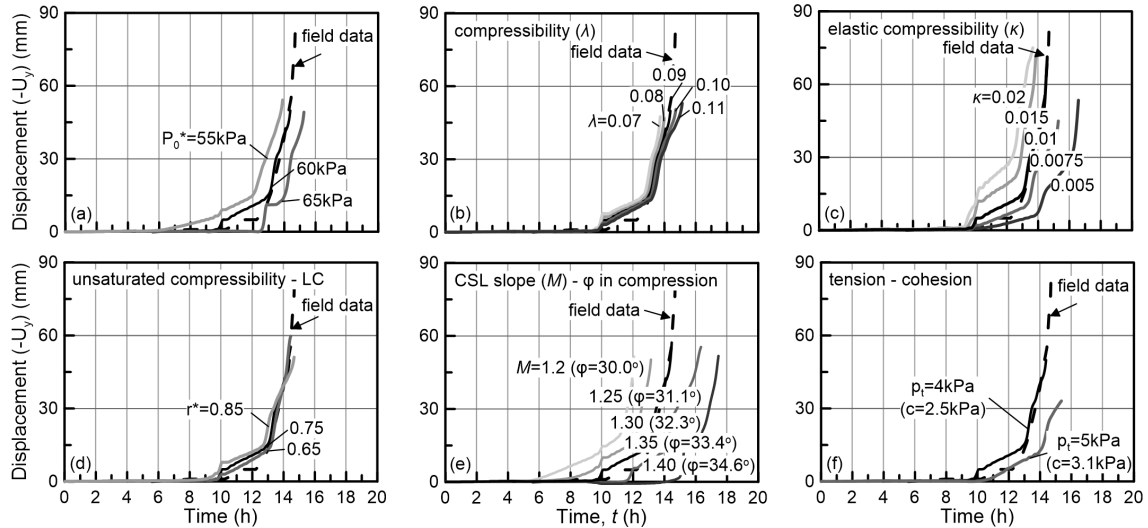
550  numerical response, and mainly on the predicted failure time. The discussion is based
551 on results from an ensemble of additional numerical analyses, where the value of a
552 range of parameters is varied systematically, while the rest of parameters are held
553 constant, as reported in table 2. The results of section 4.2 provide the basis for
554 comparison.

555

556 Figure 14 shows the effect of six different mechanical parameters on the predicted
557 evolution of vertical displacement at cluster 3 (similar to figure 10a). In more detail,
558 figures 14(a) to 14(d) focus on plastic behaviour and examine the effect of the
559 preconsolidation pressure p_0^* , virgin (elastoplastic) compressibility λ , elastic
560 compressibility κ and unsaturated compressibility ($\lambda(s)$ through parameter r^*). The
561 lower the saturated preconsolidation pressure, the earlier significant plastic deformation
562 initiates, accelerating slope movements and failure. The saturated virgin compressibility
563 has a limited effect on the predicted failure time, whereas an increased elastic
564 compressibility inflates straining and accelerates failure. By evaluating different r^*
565 values, the effect of the unsaturated compressibility framework (LC curve) on the
566 results was investigated and found to be very limited, as the results practically coincide,
567 an additional reflection of the failure mechanism's development under predominantly
568 saturated conditions. Figures 14 (e) and (f) summarise the effect of the failure envelope
569 by examining different slopes (M) of the CSL and different tensile strengths (p_t). As
570 expected, the lower the friction angle or the tensile strength (cohesion), the more rapid
571 the failure and the earlier the time at which the slope starts to exhibit signs of significant
572 movements.

573

574

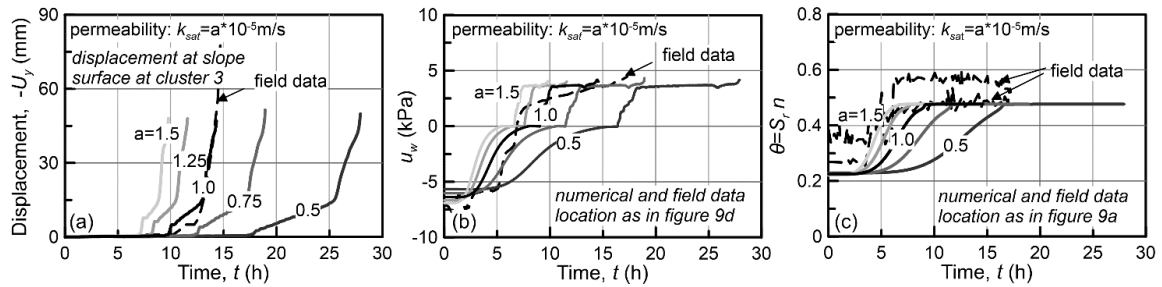


575

576 Figure 14. The effect of; a) preconsolidation pressure; b) the saturated virgin
 577 compressibility; c) the elastic compressibility; d) the unsaturated compressibility; e) the
 578 slope of CSL (friction angle in compression); f) tensile strength (cohesion) on the
 579 evolution of displacements at the slope surface in cluster 3.

580 Figures 15(a) to 15(c) extend the discussion to the effect of the hydraulic parameters
 581 and present the vertical displacement, the evolution of pore water pressure and
 582 volumetric water content with time, respectively. Five different values of saturated
 583 permeability were applied, homogeneously and isotropically, in the soil layer, revealing
 584 a dominant effect on the predicted time of failure. Although the values of permeability
 585 compared are within the same order of magnitude (10^{-5} m/s), the failure time differs by
 586 up to 20 hours. This is directly related to the time required for saturation of the slope
 587 close to cluster 3. The higher the permeability, the less time that water infiltrating from
 588 precipitation and flowing into the base of the slope from the exfiltration boundaries
 589 requires to move through the soil's pores to saturate a substantial portion of the soil
 590 cover, thus accelerating failure.

591

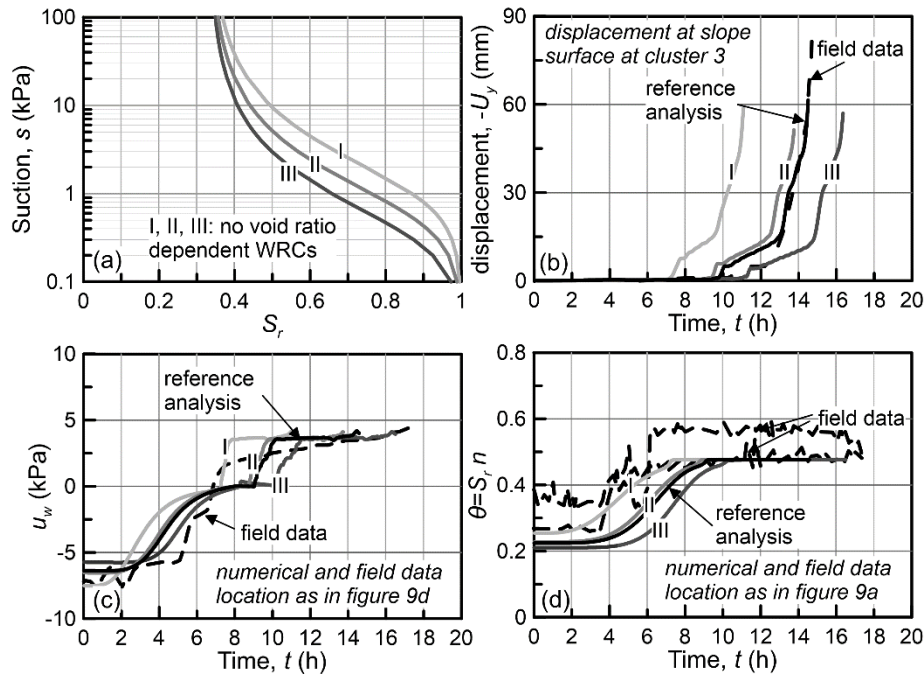


592

593 Figure 15. The effect of the saturated hydraulic permeability on: a) the evolution of
 594 displacements; b) pore pressure and; c) volumetric water content

595

596 Finally, the effect of the soil's capacity for water retention on slope behaviour is
 597 depicted in figure 16. The reference analysis, which utilises the void ratio-dependent
 598 water retention model (equations (1) and (2)), is compared with the results from three
 599 additional analyses based on WRCs I-III, shown in figure 16(a). WRCs I-III are constant
 600 void ratio WRCs and correspond to predictions from equations (1) and (2) for initial and
 601 constant void ratio values of $e=0.8$ (WRC I), $e=0.9$ (WRC II) and $e=1.0$ (WRC III). The
 602 quicker the soil becomes saturated under the critical hydraulic input from rainfall and
 603 exfiltration, the earlier failure happens, which occurs first for the lowest void ratio WRC.
 604 It is also interesting to observe that the void ratio WRC (reference analysis) in
 605 comparison with a fixed WRC under the same initial void ratio (WRC II), shifts the
 606 response towards the behaviour of a higher void ratio soil (WRC III). This is another
 607 reflection of the soil's dilatant behaviour towards failure, as has been discussed
 608 previously.



609

610 Figure 16. The effect of different water retention behaviour assumptions (a) on b) the
 611 evolution of displacements; c) pore pressure; d) volumetric water content

612 6 Conclusions

613 This paper summarises the results of a numerical study based on 2D coupled
 614 hydromechanical FEM analyses to simulate an instrumented field experiment, in which
 615 a steep forested slope was subjected to intense artificial rainfall. The numerical results
 616 were compared with field measurements and very satisfactory agreement was
 617 observed, with slope failure occurring approximately fifteen hours after rainfall initiation
 618 in both cases. The predicted failure area coincides with the field observations and the
 619 evolution of displacements with time was predicted accurately, with the analyses
 620 capturing both the initiation of significant straining as well as the abrupt acceleration of
 621 movements corresponding to the threshold between stable and unstable behaviour.

622

623 A thorough examination of the evolution of both the hydraulic and the mechanical
 624 response up to failure revealed that the main triggering agent is the water exfiltration

625 from the bedrock in the upper part of the slope, which accelerates saturation of the soil
626 cover and increases the pore water pressures above the bedrock. It is attributed to
627 interconnected bedrock fissures, which redirect rainfall water from the upper part of the
628 slope towards emergence locally at lower altitudes. Stress path plots from elements
629 inside the failure surface reveal that most of the elements yield and fail under saturated
630 conditions. Prior to yielding, the stress path is similar to constant axial load (CAL)
631 triaxial tests, confirming the suitability of these experiments in describing the behaviour
632 in slopes subjected to rainfall. Failure is accompanied by dilative response and
633 softening as the stress path towards failure lies on the dry side of the critical state,
634 leading the yield locus to reduce in size. The utilisation of an advanced critical state
635 constitutive model which enables increased versatility of the shape of the yield surface,
636 combined with detailed calibration, plays an important role in the success of the
637 simulation.

638

639 Recognising that any calibration and simulation exercise includes a degree of
640 uncertainty and unavoidable numerical assumptions, the paper also includes a
641 parametric investigation into the effect that different mechanical and hydraulic
642 parameters have on the slope response. Note that slightly different set of parameters
643 (i.e., lower strength combined with lower permeability) can perhaps capture aspects of
644 the observed behaviour equally well. However, reasonable variations in the hydraulic
645 and mechanical parameters do not alter fundamental aspects of the suggested
646 triggering procedure and failure mechanism. Future research will attempt to account for
647 additional refinements such as 3D analyses, the effect of the bedrock inclination in the
648 transversal direction, any effects of roots on the hydraulic and mechanical regimes
649 near to the surface and a more detailed study of the various assumptions related to the
650 exfiltration, which was identified as the key to the slope failure.

651

652 **Acknowledgements**

653

654 This research was funded by the Competence Centre for Environment and
655 Sustainability (CCES) within the framework of the TRAMM – Project and included other
656 resources provided by the ETH Research Fund and EU project of SafeLand (EU FP7
657 grant agreement no. 226479). We are grateful to the Ruedlingen Council, especially
658 Mrs. Leutenegger (President) and her deputy, Mr. Kern, the fire station, the farmers,
659 foresters and communities of Ruedlingen and Buchberg. D. Akca, E. Bleiker, C.
660 Brönnimann, L. Colombo, M. Denk, S. Durot, A. Ehrbar, F. Gambazzi, R. Herzog, M.
661 Iten, P. Kienzler, J. Laue, G. Michlmayr, F. Morales, C. Rickli, R. Rohr, A. Schmid, M.
662 Schwarz, M. Sperl, M. Staehli, K. Steiner, B. Suski, A. Volkwein, A. von Botticher, C.
663 Wendeler, F. Wietlisbach and the late A. Zweidler are thanked for their contributions to
664 this project. The first author wishes to also acknowledge the financial support of ETH
665 Zurich and of University of Rome Tor Vergata and to express his gratitude to Prof.
666 Sarah Springman and Assoc. Prof Francesca Casini for facilitating funding of the
667 present research.

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815 **Figure captions**

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817 Figure 1. A simplified geological profile of the test area (after Brönnimann *et al.* (2009))

818 Figure 2. a) The bedrock topography and b) the instrumentation plan (after Askarinejad
819 *et al.* (2010))

820 Figure 3. Measured water retention curves (wetting branch) and predictions of the
821 selected WRM according to the selected parameters (table 1) for Ruedlingen Soil

822 Figure 4. Comparison between data from laboratory tests of isotropic compression -
823 drained compression (TX11) and anisotropic consolidation - constant axial load tests
824 (TX10 & TX12) on saturated natural Ruedlingen specimens; In a) the stress path; b)
825 the volumetric behaviour; c) the stress - strain behaviour, data from Casini *et al.* (2010),
826 and numerical modelling using the CASM model and parameters derived herein.

827 Figure 5. Comparison between data from laboratory tests of isotropic compression -
828 triaxial compression (TX9 & TX5) and anisotropic consolidation - constant axial load
829 tests (TX11 & TX7) on saturated (top) and unsaturated (bottom) statically compacted
830 Ruedlingen samples; In a) the stress path; b) the volumetric behaviour; c) the stress -
831 strain behaviour, data from Casini *et al.* (2013) and numerical modelling using the
832 CASM model and parameters derived herein

833 Figure 6. The 2D numerical model in Code Bright

834 Figure 7. Field rainfall data (from Askarinejad (2013)) and the applied rainfall intensity
835 with time (16/03/2009 12:00 is assumed as $t = 0$)

836 Figure 8. Distribution of displacements at failure ($t = 14.56h$) and evolution with time for
837 selected locations along the slope

838 Figure 9. Distribution of pore water pressure and saturation degree at failure together
839 with the evolution at characteristic locations along the slope; field data from Askarinejad
840 (2013)

841 Figure 10. Evolution of pore water pressure (down) and volumetric water content (up)
842 at cluster 3; In: a) at a depth of 0.30m and; b) at a depth of 1.5m; field data from
843 Askarinejad (2013)

844 Figure 11. Evolution of displacements (a, b) and velocity (c, d) at the slope surface at
845 cluster 3; field data from Askarinejad (2013)

846 Figure 12. Distribution of pore pressures (u_w), degree of saturation (S_r), deviatoric
847 strains (ϵ_q) and displacements (U) at three characteristic time frames $t = 10h$, $t = 13h$
848 and $t = 14.4h$ (slope section as in figure 6)

849 Figure 13. Distribution (slope section as in figure 6) of preconsolidation pressure and
850 void ratio at failure together with the evolution of p' , q , $p_0(s)$, p_0^* and e

851 Figure 14. The effect of; a) preconsolidation pressure; b) the saturated virgin
852 compressibility; c) the elastic compressibility; d) the unsaturated compressibility; e) the
853 slope of CSL (friction angle in compression); f) tensile strength (cohesion) on the
854 evolution of displacements at the slope surface in cluster 3.

855 Figure 15. The effect of the saturated hydraulic permeability on: a) the evolution of
856 displacements; b) pore pressure and; c) volumetric water content

857 Figure 16. The effect of different water retention behaviour assumptions (a) on: b) the
858 evolution of displacements; c) pore pressure; d) volumetric water content

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861 **Table captions**

862

863 Table 1. Water retention model parameters for Ruedlingen Soil

864 Table 2. Ruedlingen soil: mechanical parameters